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Motivic Zeta Functions and Quotient Singularities

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Abstract

A V –manifold X is a complex analytic manifold that locally looks like \mathbb{C}^n/G with G a finite subgroup of $GL_n(\mathbb{C})$. In [1], Denef & Loeser, interested in the motivic version of the McKay Correspondance, start the study of motivic measures for V –manifolds. We continue this line of research by giving a motivic measure for Q –Gorenstein varieties and a version of a motivic local zeta function for Q –divisors in Q –Gorenstein varieties. Our main result is a formula for the motivic local zeta function in terms of the local action of the isotropy groups appearing in a Q –resolution of X . This gives a generalization of some results of Veys in [3] for the topological zeta function of curves.

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References

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